

Supersymmetric tau final states

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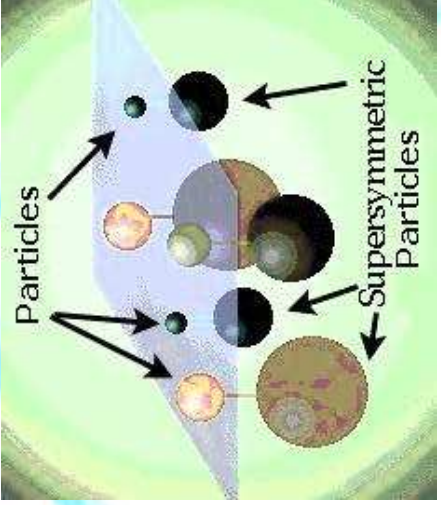


Introduction

One aim of the LHC is to explore new physics beyond the Standard Model (SM). A very promising theory is Supersymmetry (SUSY):

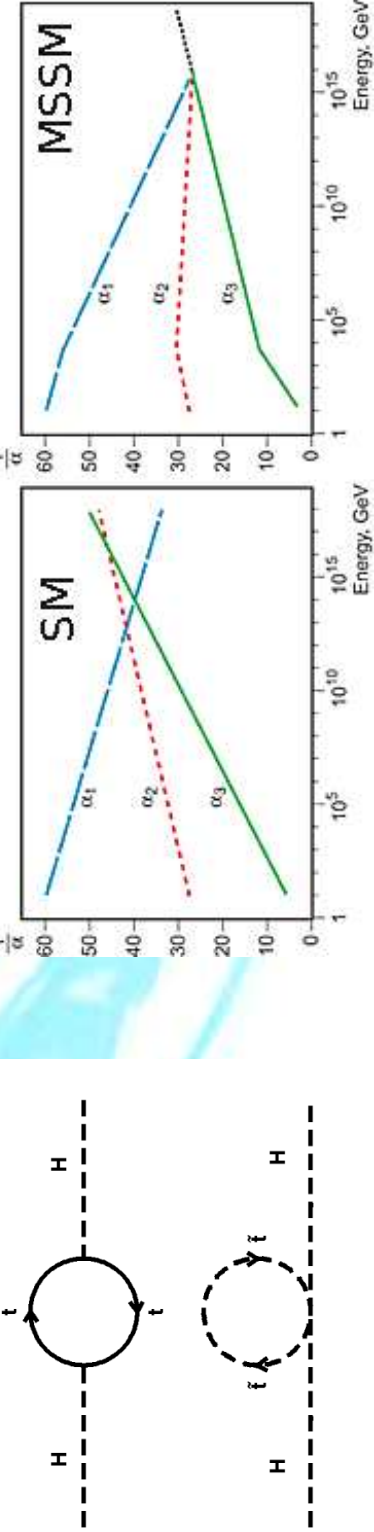
What is SUSY?

- Symmetry between fermions and bosons
- Predicts supersymmetric “partner” particle for each SM particle: same mass and quantum number, spin difference 1/2
- Not discovered yet $\Rightarrow$ SUSY particles must be heavy $\Rightarrow$ Broken symmetry
- Many models of SUSY breaking: various phenomenologies possible



Why SUSY?

- SUSY solves major problems of the Standard Model: finetuning, unification of forces at the GUT scale:



Finetuning: fermionic and bosonic terms cancel exactly

Unification: coupling constants meet at GUT scale in MSSM (Minimal Supersymmetric Standard Model)

- Cold Dark Matter candidate: introduce R-parity $R = (-1)^{3(B-L)+2S}$ conservation to stabilize proton $\Rightarrow$ lightest SUSY particle (LSP) must be stable

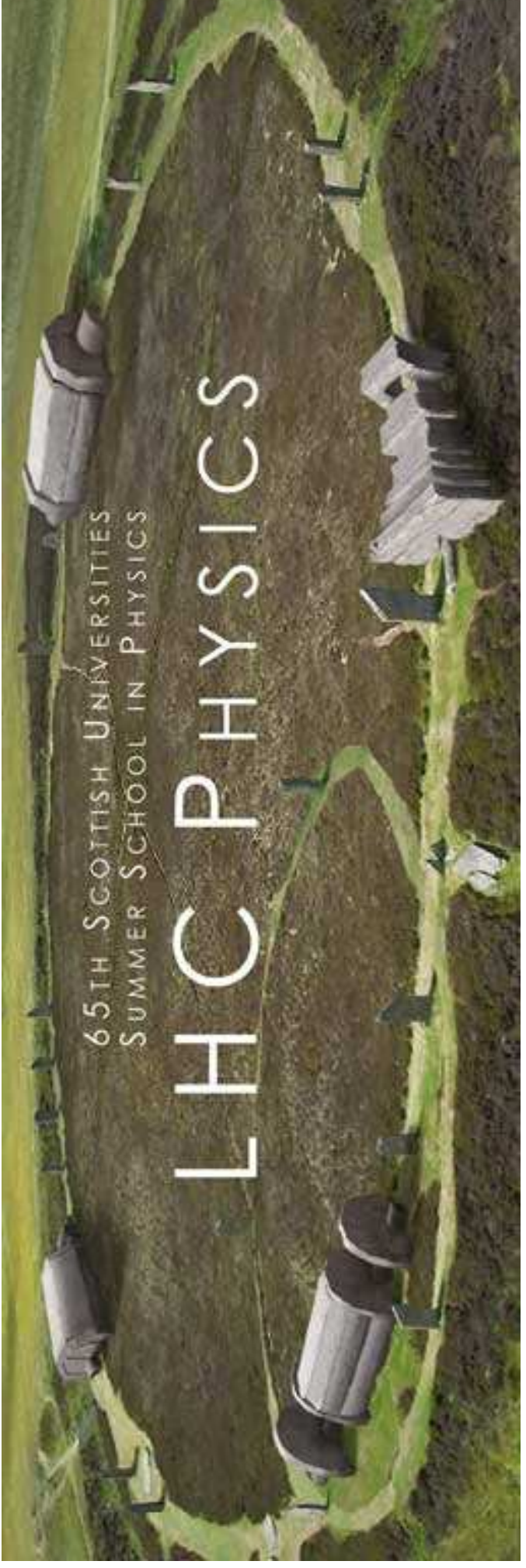
Phenomenology: Phenomenology varies strongly with different SUSY models. Focus on R-Parity conservation: heavy SUSY particles are pair-produced, long decay chains to LSP (invisible)

$\Rightarrow$ Spherical events, many jets, leptons and missing transverse energy E_T^{miss}

$\Rightarrow$ Easy to see at the LHC: 5σ deviation from SM possible with $\int L dt \sim \text{few pb}^{-1}$

Discovery? Investigation of the properties of new found physics essential to claim SUSY discovery!

- Distinguish from other SM extensions
 - Determination of mass edges among the first possible measurements: first step towards SUSY parameters
- $\Rightarrow$ Mass edges will play an important role in the distinction of Beyond the Standard Model theories



The $\tau\tau$ invariant mass spectrum

The special role of tau leptons

- 3rd generation is special in SUSY: mixing of $\tilde{t}_L$, $\tilde{t}_R$ to $\tilde{t}_{1,2}$ $\Rightarrow \tilde{t}_1$ often lightest slepton: enhanced τ production
- $m_{\tau\tau}$ endpoint carries information about $\tilde{\tau}$ masses: not accessible otherwise
- Triangular shape lost due to invisible neutrinos from τ decay
- Tau decay mode separation offers opportunity to measure tau polarization $\Rightarrow$ Information about stau mixing angle [see JHEP04(2009)057]

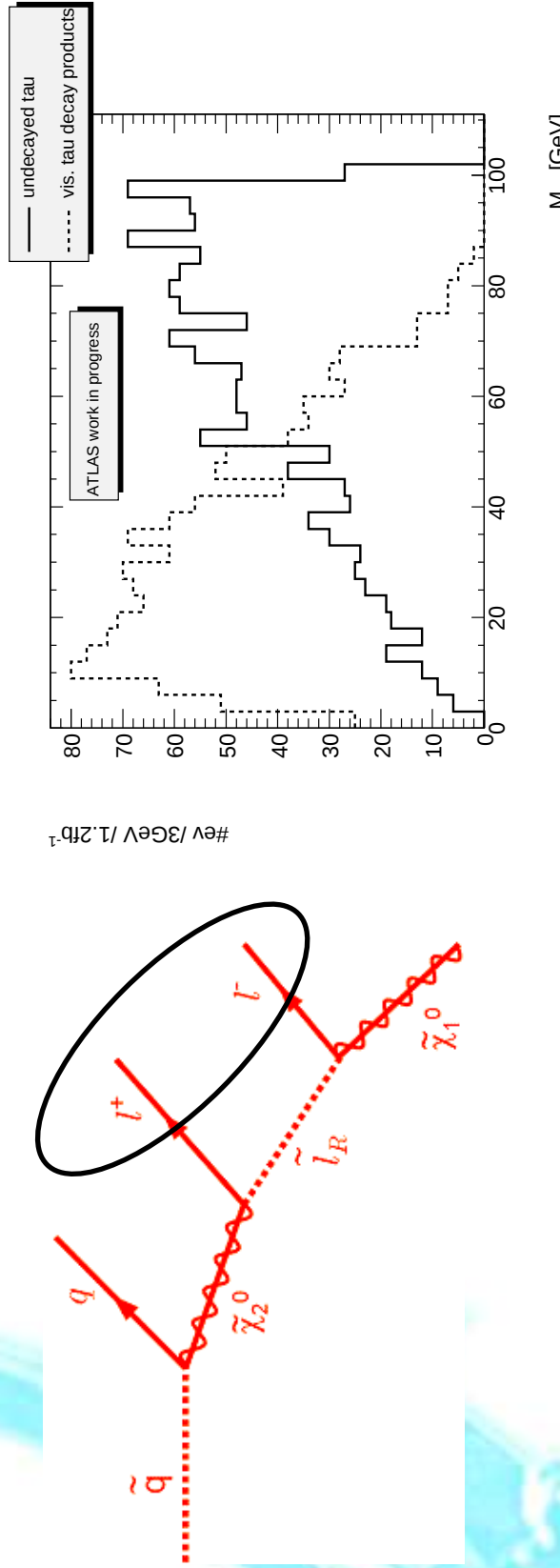


Figure 1: Signal decay and $m_{\tau\tau}$ spectrum of two taus from $\tilde{\chi}_2^0 \rightarrow \tilde{\tau}_{1,2}^+ \tau^\mp \rightarrow \tilde{\chi}_1^0 \tau^\pm \tau^\mp$, MC truth: undecayed taus (solid) vs. visible decay products (dotted).

LSP escapes detection $\Rightarrow$ no mass peaks $\Rightarrow$ Measure kinematic edge:

$$m_{\tau\tau}^{\max} = \sqrt{\frac{(m_{\tilde{\chi}_2^0}^2 - m_{\tilde{\tau}_{1,2}}^2)(m_{\tilde{\tau}_{1,2}}^2 - m_{\tilde{\chi}_1^0}^2)}{m_{\tilde{\tau}_{1,2}}^2}}$$

Endpoint determination Current τ identification algorithms focus on hadronic τ decays: only 42% of $\tau\tau$ combinations! Contributions from leptonically decaying taus via e/μ ID and opposite flavour combinations:

had-had ($\tau^\pm \tau^\mp - \tau^\pm \tau^\pm$)

had-lep ($\tau^\pm \mu^\mp + \tau^\pm e^\mp$) - ($\tau^\pm \mu^\pm + \tau^\pm e^\pm$)

lep-lep ($\mu^\pm e^\mp - \mu^\pm e^\pm$)

Use opposite sign minus same sign subtraction to suppress combinatorial background and fake taus.

No sharp drop-off at maximum value of $m_{\tau\tau}$ spectrum $\Rightarrow$ Attempt to approximate shape:

- Describe trailing edge with log-normal function
- Use inflection point as measurable trait
- Calibrate with different SUSY masses

Leptonic τ decays involve additional neutrino

$\Rightarrow$ Peak of spectrum shifted, separate calibrations required

Signal selection (had-had):

- At least 2 τ : $\Delta R < 3$ ($\Delta R = \sqrt{(\Delta\eta)^2 + (\Delta\phi)^2}$)
- $E_T^{miss} > 200\text{GeV}$
- $H_T > 450\text{GeV}$ ($H_T = \Sigma p_T^{\text{jet}}$)
- $p_T^{2\text{nd jet}} > 40\text{GeV}$
- $M_{eff} > 300\text{GeV}$ ($M_{eff} = \Sigma_1^4 p_T^{\text{jet}} + E_T^{miss}$)

Similar selections for had-lep, lep-lep channels

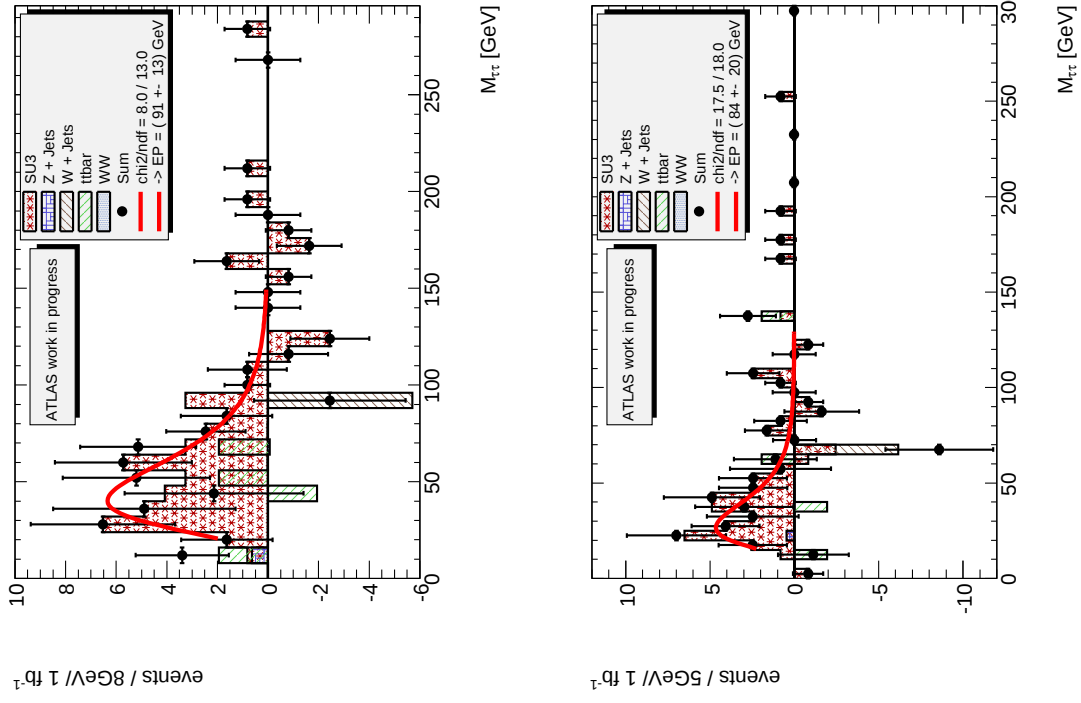


Figure 2: $m_{\tau\tau}$ spectra (had-had, had-lep and lep-lep) for 1fb^{-1} of 10 TeV data (MC): spectrum composition (red: signal, other: SM background) and log-normal fits.

$\Rightarrow$ 3 independent measurements of the $m_{\tau\tau}$ endpoint.

Results

For a tested SUSY point with true $m_{\tau\tau}$ endpoint at 99 GeV, above procedure yields the following results:

had-had: $(91 \pm 13^{\text{stat}} \pm 10^{\text{syst}})\text{GeV}$

had-lep: $(84 \pm 20^{\text{stat}} \pm 11^{\text{syst}})\text{GeV}$

lep-lep: $(152 \pm 55^{\text{stat}} \pm 48^{\text{syst}})\text{GeV}$

Statistical error contains the fitting procedure and the jet energy scale uncertainty (assumed to be 5% at 1fb^{-1})

Poor statistics in spectra makes endpoint measurement challenging:

- Lep-lep channel (only 6% of $\tau\tau$ pairs) hardly contributes
- Dominant source of systematic uncertainty: histogram binning

Conclusions

- Measurement of SUSY masses is the first step towards SUSY parameter determination $\Rightarrow$ crucial for “SUSY discovery”
- Dilepton mass endpoint yields information about $\tilde{\tau}$ masses
- With 1fb^{-1} and 10 TeV: endpoint measurable with $\approx 15\%$ precision

References:

[1] ATLAS Collaboration, Expected Performance of the ATLAS Experiment, Detector, Trigger and Physics, CERN-OPEN-2008-020, Geneva, 2008.