

DIS 2010

XVIII International Workshop on Deep-Inelastic Scattering and Related Subjects

Convitto della Calza, Firenze, 19th - 23rd April 2010

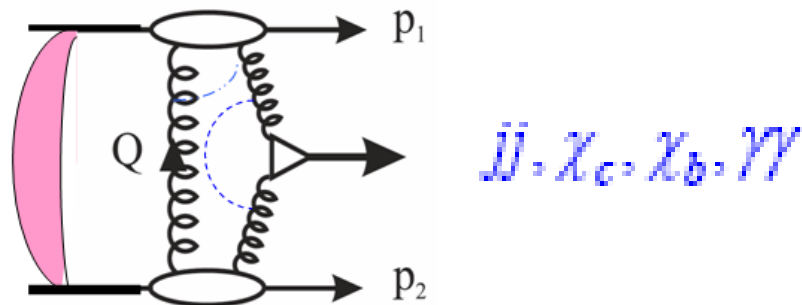


Standard Candles for Central Exclusive Processes at the Tevaron and LHC



V.A. Khoze (IPPP, Durham)

(In collaboration with L. Harland-Lang, M.Ryskin and W.J. Stirling)



- ❶ Introduction.
- ❷ Central exclusive production (CEP) of $\chi_{c0,1,2}$ states at the Tevatron and LHC.
 - Motivation.
 - CDF data.
 - Calculation of $\chi_{c1,2}$ rates.
 - Forward proton distributions.
 - Monte Carlo simulation: SuperCHIC.
- ❸ Overview of $\gamma\gamma$ and χ_b CEP results and ongoing studies.
- ❹ Conclusion.

Introduction

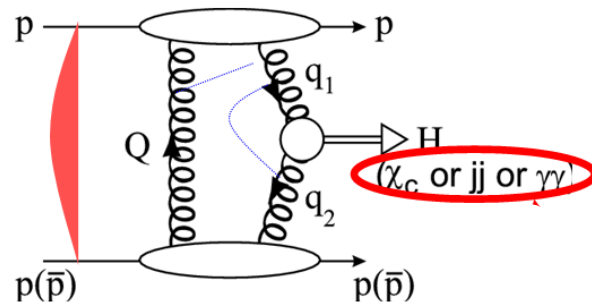
Why are we interested in central exclusive χ_c (χ_b , $\gamma\gamma$, jj) production?

- Driven by same mechanism as Higgs (or other new object) CEP at the LHC.
- χ_c , jj and $\gamma\gamma$ CEP has been observed by CDF. 
- Can serve as 'Standard Candle' processes, which allow us to check the theoretical predictions for central exclusive new physics signals at the LHC.
- $\chi_{c,b}$ production is of special interest: (star reactions!)
 - Heavy quarkonium production can shed light on the physics of bound states (lattice, NRQCD, ...).
 - Potential to produce different J^P states, which exhibit characteristic features (e.g. angular distributions of forward protons).
 - Could perhaps shed light on the various 'exotic' charmonium states observed recently.

Standard Candle Processes

‘BETTER TO LIGHT A CANDLE THAN TO
RANT AGAINST DARKNESS’

(Confucius)



The process $p\text{-}p \rightarrow \gamma\gamma / \chi_c / \chi_b / j\text{-}j$ are
standard candles for the exclusive Higgs

像教行子孔師先

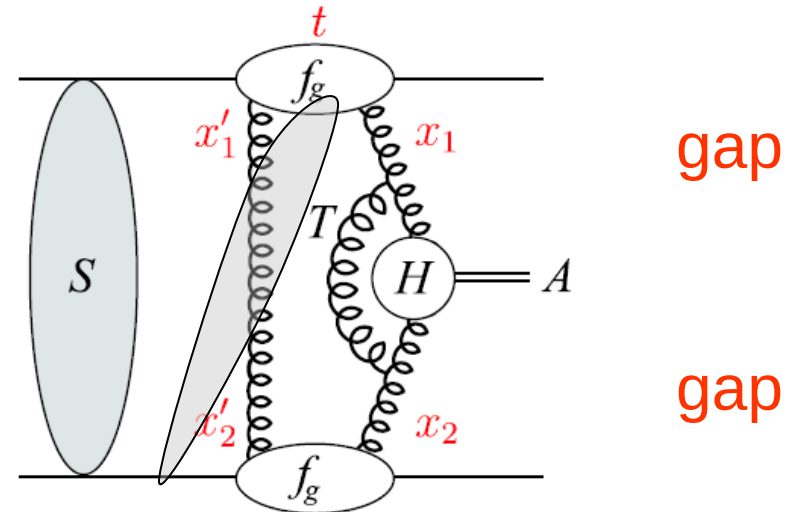


孔夫子

孔丘 Kong Qiu

Are the early LHC runs,
without proton taggers,
 able to check estimates
 for $pp \rightarrow p+A+p$?

KMR: 0802.0177



Possible checks of:

(i) survival factor S^2 : $W+\text{gaps}$, $Z+\text{gaps}$

(ii) generalised gluon f_g : $\gamma p \rightarrow Yp$

(iii) Sudakov factor T : 3 central jets

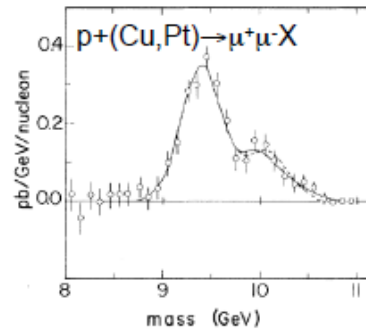
(iv) soft-hard factorisation
 (enhanced absorptive corrⁿ) $\frac{\#(A+\text{gap}) \text{ evts}}{\#(\text{inclusive } A) \text{ evts}}$
 with $A = W, \text{ dijet}, Y \dots$



Bottomonium history started 30 years ago

(PRL 39, 242 (1977) and PRL 39,1240 (1977))

30 years later....



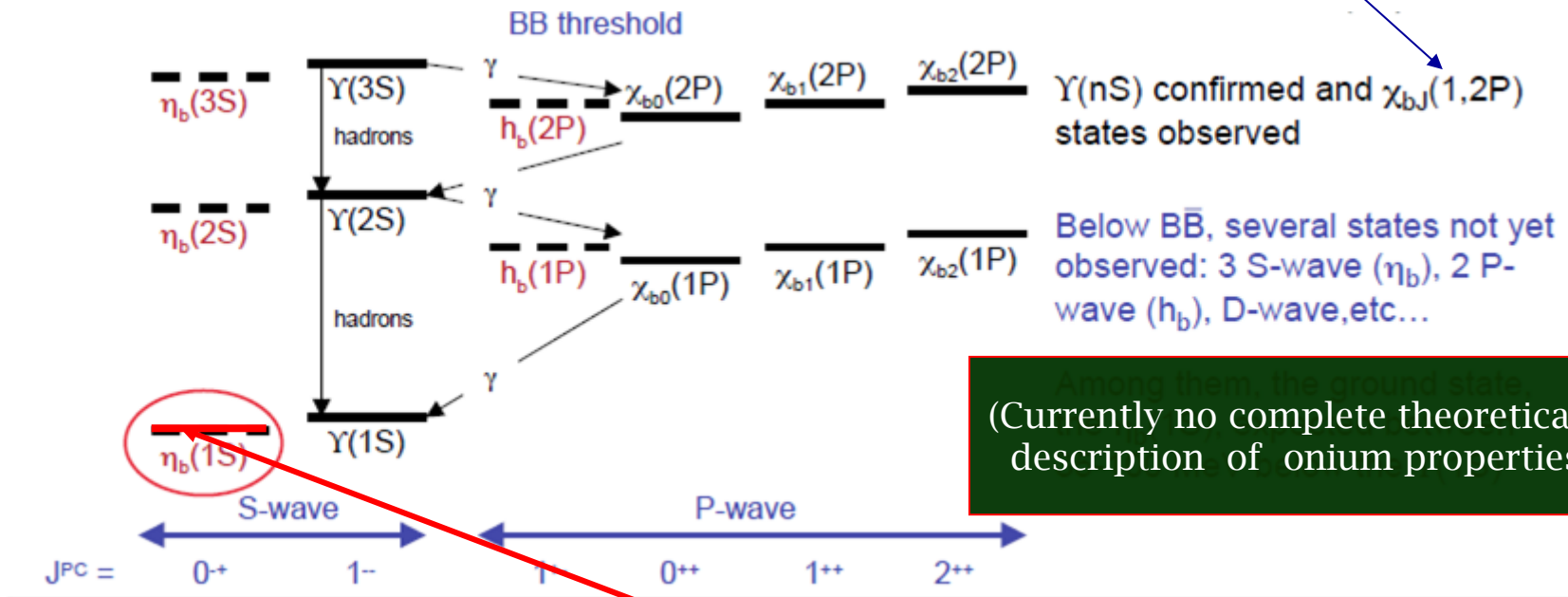
$$M(\Upsilon) = 9.40 \pm 0.013$$

$$M(\Upsilon') = 10.00 \pm 0.04$$

$$M(\Upsilon'') = 10.43 \pm 0.12$$

FNAL, E288

(spins- still unconfirmed)



(Currently no complete theoretical description of onium properties.)

(BABAR (2008))

(Still puzzles)



The heaviest and most compact quark-antiquark bound state in nature



(Cannot detect p/pbar, down beam pipe, but BSC $\rightarrow \eta = 7.4$ empty)

FSC@LHC

*

$$p + \bar{p} \rightarrow p + \gamma + \bar{p}$$

Cleanest (no S.I.) but smallest σ

KMR: 38 pb in our box). 2+1 candidates (more coming soon)

*

$$p + \bar{p} \rightarrow p + \chi_c + \bar{p}$$

Clean, big σ :

$$\frac{d\sigma}{dy}(y=0) \sim 100 \text{ nb (KMRS)}$$

$$p + \bar{p} \rightarrow p + \chi_b + \bar{p}$$

but $M(c)$ small (non-pert) & hadron

*

$$p + \bar{p} \rightarrow p + JJ + \bar{p}$$

More perturbative, smaller theory uncertainty
But $\sigma \sim 1/500^{\text{th}} \chi_c$. Also BR's not known!

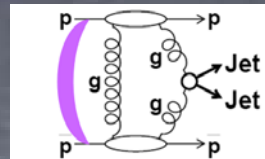
Prprospects !

Big cross section, but least well defined (jets!)
and largest background. $\sim 100 \text{ pb}$ for $M(JJ) > 30 \text{ GeV}$

Our 3 measurements are all in good agreement
(factor “few”) with the Durham group predictions.



Comparison with KMR

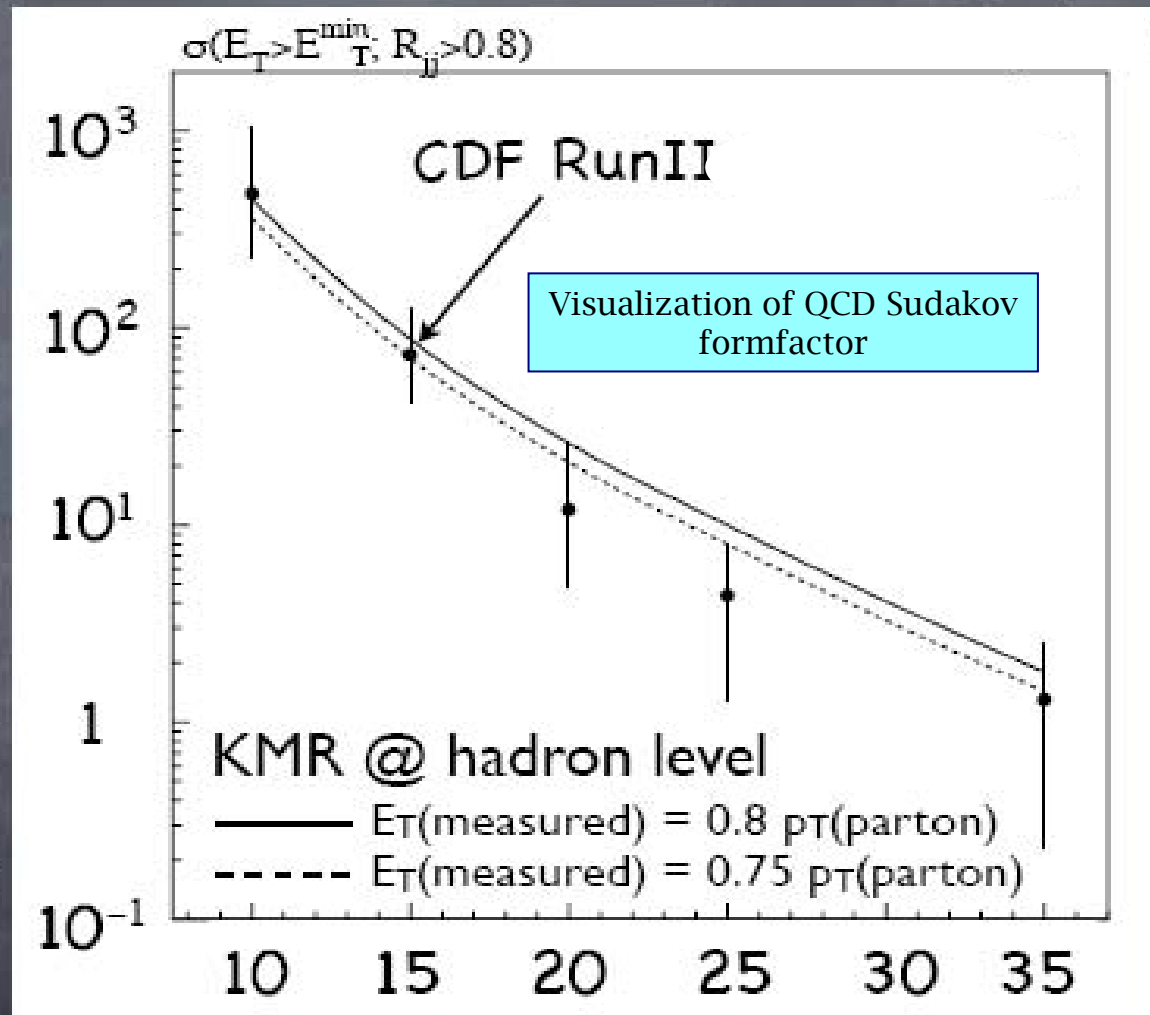


More direct comparison
with KMR calculations
including hadronization
effects preferred

CDF out-of-cone energy
measurement (cone $R=0.7$) :
▶ 20–25% at $E_T^{\text{Jet}}=10\text{--}20$ GeV
▶ 10–15% at $E_T^{\text{Jet}}=25\text{--}35$ GeV

Koji Terashi

Good agreement with
data found by rescaling
parton p_T to hadron jet E_T



A killing blow to the wide range of theoretical models.

CDF
PRD-2008

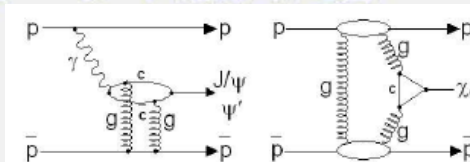
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Summary of Results

$$p + \bar{p} \rightarrow p + \mu^+ \mu^- + \bar{p}$$

$$p + \bar{p} \rightarrow p + \mu^+ \mu^- \gamma + \bar{p}$$

$M = 3-4 \text{ GeV}/c^2$



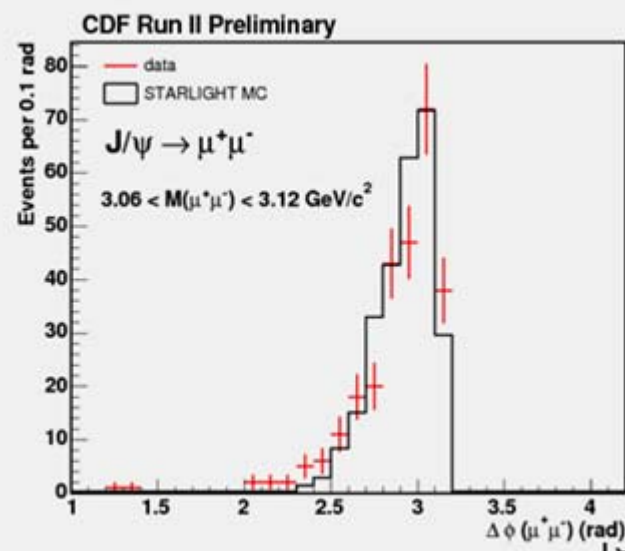
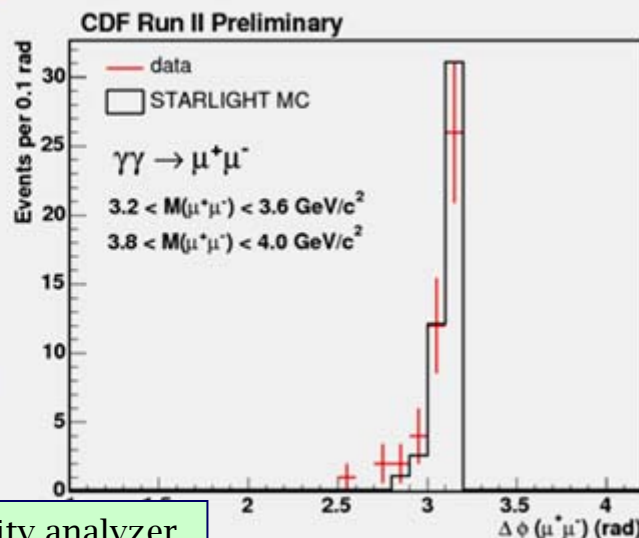
Quantity	This analysis	Theory
$\frac{d\sigma}{dy}(y=0)J/\psi \text{ (nb)}$	3.92 ± 0.62	3.0 ± 0.3
$\frac{d\sigma}{dy}(y=0)\psi(2S) \text{ (nb)}$	0.53 ± 0.14	$0.46^{+0.11}_{-0.04}$
$\frac{d\sigma}{dy}(y=0)\chi_c^0 \text{ (nb)}$	76 ± 14	$130 \pm \approx 50$
$\sigma(box, QED, pb)$	2.7 ± 0.5	2.18 ± 0.02
$\frac{d\sigma}{dy}(y=0)OIP \rightarrow J/\psi$	$< 2.3 \text{ nb (95\% C.L.)}$	
$\frac{J/\psi}{\chi_c}$	0.052 ± 0.015	No Prediction

90 nb
(χ width)
Durham

No **strong** evidence
for odderon

$$\langle p_T(\gamma\gamma) \rangle < \langle p_T(IP) \rangle$$

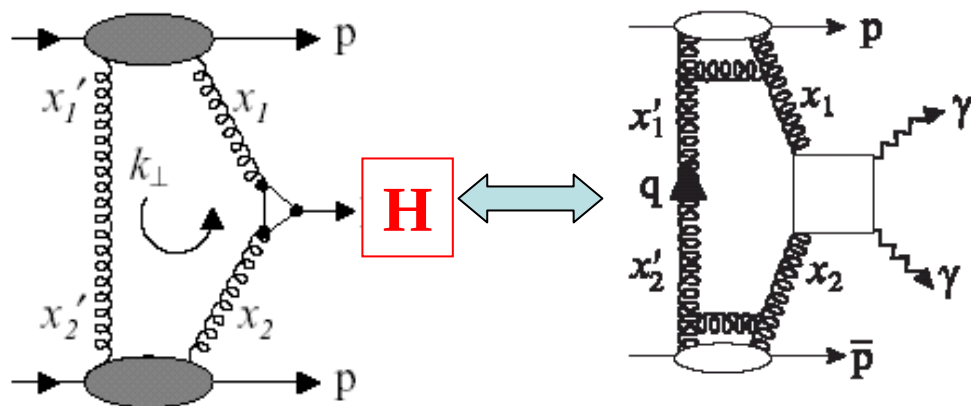
$\pi\pi/KK$ mode as a spin-parity analyzer



Search for Exclusive $\gamma\gamma$ Production in Hadron-Hadron Collisions

Khoze, Martin and Ryskin, Eur.Phys.J. C23: 311 (2002) ; KMR+Stirling hep-ph/040903

Claim factor ~ 3 uncertainty ; Correlated to p+H+p



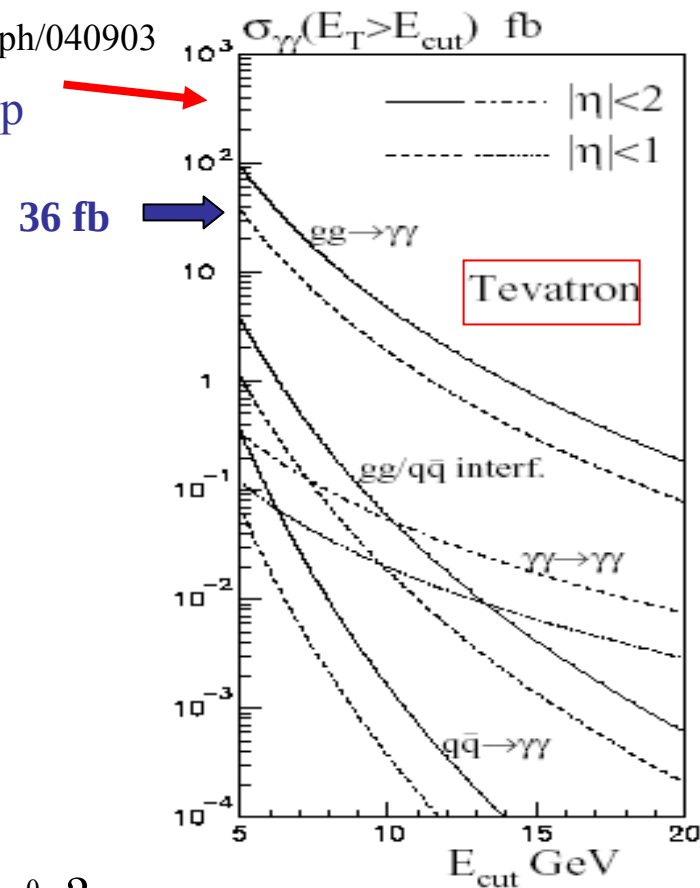
$\gamma\gamma \rightarrow \gamma\gamma$ & $q\bar{q} \rightarrow \gamma\gamma$ much smaller

$E_T(\gamma) > 5 \text{ GeV}; |\eta(\gamma)| < 1.0$

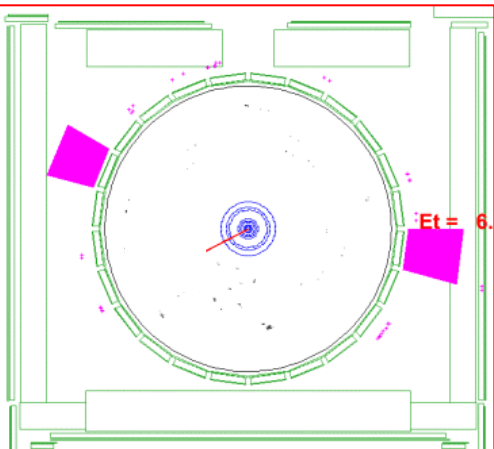
3 candidates, 2 golden, 1 ? $\pi^0\pi^0$?

Note : $\sigma_{MEAS} \approx 2 \times 10^{-12} \sigma_{INEL}$!

New data, Lower threshold, **possible “observation” to come**
& **SuperCHIC** ! (HKRS-09)



36 fb $\rightarrow$ 0.8 events



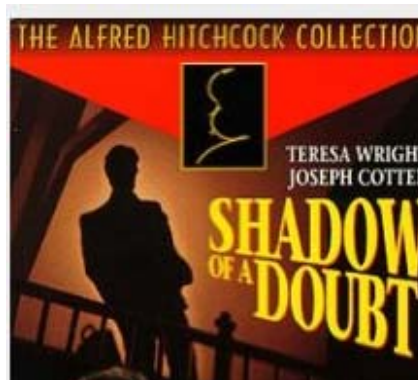
- 65 ± 10 signal χ_c events observed, but with a limited $M(J/\psi\gamma)$ resolution.
- Possible contribution from χ_{c1} and χ_{c2} states assumed, rather than observed, to be negligible.
- Assuming χ_{c0} dominance, CDF found:

$$\left. \frac{d\sigma(\chi_{c0})}{dy_\chi} \right|_{y=0} = (76 \pm 14) \text{ nb} ,$$

in good agreement with the previous KMRS value of 90 nb
([arXiv:0403218](https://arxiv.org/abs/0403218)).

Too good to be true ?!

- But can we be sure that χ_{c1} and χ_{c2} events do not contribute?



χ_{c1} and χ_{c2} : general considerations

- General considerations tell us that χ_{c1} and χ_{c2} CEP rates are strongly suppressed:
 - χ_{c1} : Landau-Yang theorem forbids decay of a $J = 1$ particle into on-shell gluons.
 - χ_{c2} : Forbidden (in the non-relativistic quarkonium approximation) by $J_z = 0$ selection rule that operates for forward ($p_\perp = 0$) outgoing protons. KMR-01 (A. Alekseev-1958-positronium)
- However the experimentally observed decay chain $\chi_c \rightarrow J/\psi \gamma \rightarrow \mu^+ \mu^- \gamma$ strongly favours $\chi_{c(1,2)}$ production, with:

$$\text{Br}(\chi_{c0} \rightarrow J/\psi \gamma) = 1.1\% ,$$

$$\text{Br}(\chi_{c1} \rightarrow J/\psi \gamma) = 34\% ,$$

$$\text{Br}(\chi_{c2} \rightarrow J/\psi \gamma) = 19\% .$$

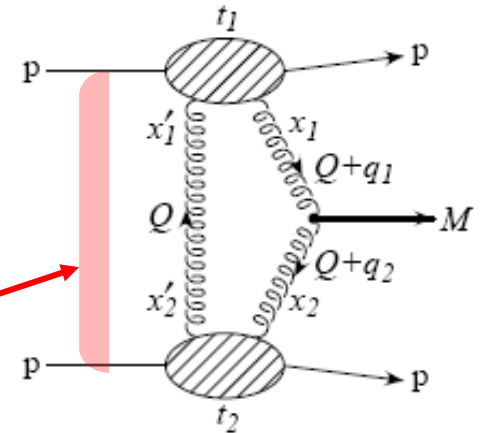
- We should therefore seriously consider the possibility of $\chi_{c(1,2)}$ 

(R.Pasechnik et al, Phys.Lett.B680:62-71,2009; HKRS, Eur.Phys.J.C65:433-448,2010)

Non-forward effects

- While the $\chi_{c(1,2)}$ CEP amplitudes vanish in the limit of forward outgoing protons, we expect some violation of this from the effect of non-zero proton $p_{\perp}$.

Important role of absorption effects



- To achieve this we write our amplitude as:

$$T = \pi^2 \int \frac{d^2 \mathbf{Q}_{\perp} V_J}{\mathbf{Q}_{\perp}^2 (\mathbf{Q}_{\perp} - \mathbf{p}_{1\perp})^2 (\mathbf{Q}_{\perp} + \mathbf{p}_{2\perp})^2} f_g(Q_1^2, \dots) f_g(Q_2^2, \dots) . \quad (1)$$

- V_J represents the $gg \rightarrow \chi_{cJ}$ vertex and can be calculated by a simple extension of the previous $\gamma\gamma \rightarrow \chi_c$ results.

Cross section results (1)

- We find the following approximate hierarchy for the spin-summed amplitudes squared

$$|V_0|^2 : |V_1|^2 : |V_2|^2 \sim 1 : \frac{\langle \mathbf{p}_\perp^2 \rangle}{M_\chi^2} : \frac{\langle \mathbf{p}_\perp^2 \rangle^2}{\langle \mathbf{Q}_\perp^2 \rangle^2} . \quad (2)$$

- This $\sim 1/40$ suppression for the $\chi_{c1,2}$ states will be compensated by the larger $\chi_c \rightarrow J/\psi\gamma$ branching ratios, as well as by the larger survival factors S_{eik}^2 for the more peripheral reactions.
- An explicit calculation gives (for the perturbative contribution):

$$\frac{\Gamma_{J/\psi+\gamma}^{\chi_0}}{\Gamma_{\text{tot}}^{\chi_0}} \frac{d\sigma_{\chi_{c0}}^{\text{pert}}}{dy} : \frac{\Gamma_{J/\psi+\gamma}^{\chi_1}}{\Gamma_{\text{tot}}^{\chi_1}} \frac{d\sigma_{\chi_{c1}}^{\text{pert}}}{dy} : \frac{\Gamma_{J/\psi+\gamma}^{\chi_2}}{\Gamma_{\text{tot}}^{\chi_2}} \frac{d\sigma_{\chi_{c2}}^{\text{pert}}}{dy} \approx 1 : 0.8 : 0.6 .$$

- Note: these approximate values carry a factor of $\sim_{\div} 1.5 - 2$ uncertainty.

Cross section results (2)

- Finally, we must include the factorization breaking ‘enhanced’ absorptive effects, which we can roughly account for (in the χ_c case) by the introduction of a simple multiplicative ‘effective’ survival factor:

$$\langle S_{\text{eff}}^2 \rangle \approx \langle S_{\text{enh}}^2 \rangle \times \langle S_{\text{eik}}^2 \rangle \approx \frac{1}{3} \langle S_{\text{eik}}^2 \rangle ,$$

- NB: This value carries large uncertainties ($\sim \pm 50\%$) may change with more exact calculations (work in progress).
- We can then use the relevant χ_{c0} branching ratios to convert our result to a total predicted χ_c cross section at the Tevatron:

$$\left. \frac{d\sigma_{\chi_c}^{\text{tot}}}{dy_\chi} \right|_{y_\chi=0} \approx 60 \text{ nb} .$$

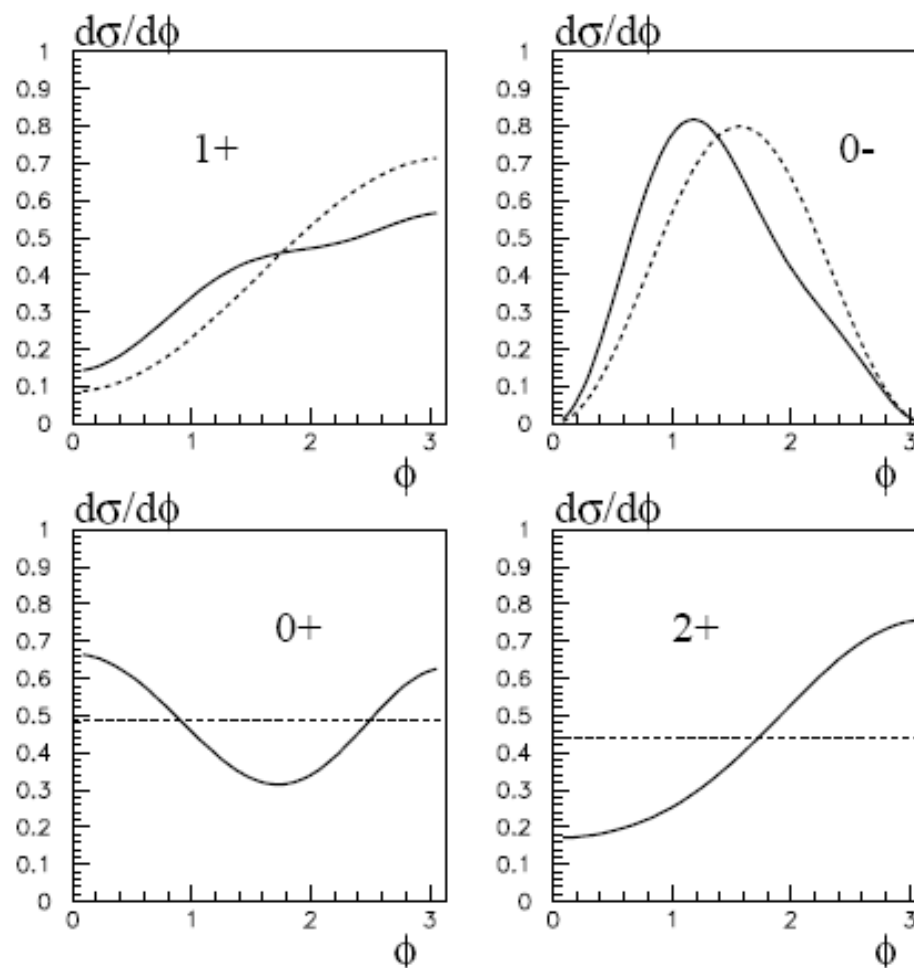
- Note this carries large uncertainties ($\sim \times 5$) but is nonetheless in good agreement with the experimental value.

Cross section results for the LHC

- As the cms energy increases we have:
 - Larger gluon density at smaller x values.
 - Smaller S_{eik}^2 survival factor.
 - Smaller S_{enh}^2 due to increase in size of rapidity gaps ($\sim s/m_\chi^2$) available for 'enhanced' absorptive effects.
- The combined result of these different effects is that the χ_c CEP rate has only a very weak energy dependence going from the Tevatron to the LHC.
- An explicit calculation gives the (**preliminary**) results:

$\sqrt{s}$ (TeV)	$d\sigma/dy_\chi(pp \rightarrow pp(J/\psi + \gamma))$ (nb)
1.96	0.70
7	0.85
10	0.86
14	0.90

Measuring forward proton angular distributions



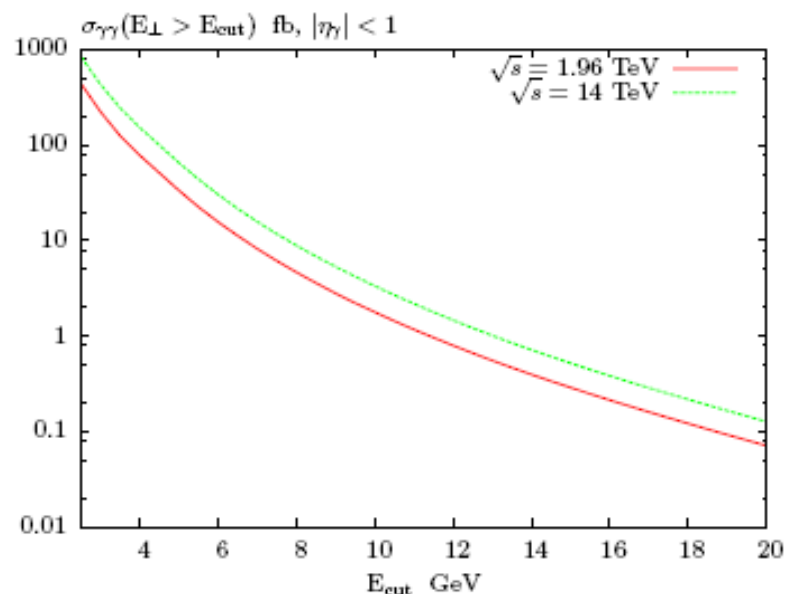
- Forward proton detection would allow a clear discrimination between the different J states.



- A new MC (available on HepForge) including:
 - Non-forward $p_{\perp} \neq 0$ protons via the 'effective' slope parameters b_{eff} .
 - Full simulation of $\chi_{c(0,1,2)}$ CEP via the $\chi_c \rightarrow J/\psi \gamma \rightarrow \mu^+ \mu^- \gamma$ decay chain.
 - $\chi_{b(0,1,2)}$ CEP via the equivalent $\chi_b \rightarrow \Upsilon \gamma \rightarrow \mu^+ \mu^- \gamma$ decay chain.
 - More to come...
- The angular distributions of the final state particles, modeled in the MC, might help us to distinguish between the different states...
- ...however the severity of current CDF experimental cuts for χ_c CEP ($p_{\perp}(\mu) > 1.4 \text{ GeV}/c$, $|\eta_{\mu}| < 1$) appears to preclude this.

(KMRS, [arXiv:0409037](#))

- 3 candidate events observed by CDF ([arXiv:0707.237](#)), with more to come.
- More events would allow us to probe scaling of σ with E_{cut} .
- Similar uncertainties to χ_c case for low E_{cut} scale.
- Potential $|J_Z| = 2$ contribution found to be unimportant.
- Initial encouraging results for $gg \rightarrow \pi^0 \pi^0$ background.
- $\gamma\gamma$ CEP now included in SuperCHIC.



χ_b CEP (1)

- Calculation exactly analogous to χ_c case with same hierarchy as (2). However we have a stronger suppression in the χ_{b1} and χ_{b2} rates than for the χ_c case.
- Larger $\langle Q_{\perp}^2 \rangle$ scale gives smaller b_{eff} values, i.e. non-forward effects are less strong, but still important.
- Measurement of ratio of χ_b to $\gamma\gamma$ ($E_{\perp} = 5$ GeV) CEP rates would eliminate certain uncertainties (i.e. dependence on survival factors).
- Significant uncertainties in input parameters:
 - Only have $\text{Br}(\chi_{b0} \rightarrow \Upsilon\gamma) < 6\%$ from experiment (PDG 2009).
 - $\Gamma_{\text{tot}}(\chi_{b0})$ experimentally undetermined.
 - Must use, e.g., potential model estimates.
- Consistently with the results of NRQCD, as well as the existing experimental data, we can take the values³ $\Gamma(\chi_{b0} \rightarrow gg) = 0.8$ MeV and $\text{Br}(\chi_{b0} \rightarrow \Upsilon\gamma) = 3.2\%$.

³W. Kwong and J. L. Rosner, Phys. Rev. D 38, 279 (1988) 

χ_b CEP (2)

- Performing the same explicit calculation as for the χ_c case, we find the following (**preliminary**) results:

$$\frac{\Gamma_{\Upsilon+\gamma}^{\chi_0}}{\Gamma_{\text{tot}}^{\chi_0}} \frac{d\sigma_{\chi_{b0}}^{\text{pert}}}{dy} : \frac{\Gamma_{\Upsilon+\gamma}^{\chi_1}}{\Gamma_{\text{tot}}^{\chi_1}} \frac{d\sigma_{\chi_{b1}}^{\text{pert}}}{dy} : \frac{\Gamma_{\Upsilon+\gamma}^{\chi_2}}{\Gamma_{\text{tot}}^{\chi_2}} \frac{d\sigma_{\chi_{b2}}^{\text{pert}}}{dy} \approx 1 : 0.03 : 0.2$$

- Note: these ratios depend on the value taken for $\text{Br}(\chi_{b0} \rightarrow \Upsilon\gamma)$.
- Using these values we can evaluate the expected χ_b CEP rates via the $\Upsilon\gamma$ decay chain, which are largely independent on the choice of $\Gamma(\chi_{b0} \rightarrow gg)$:

$\sqrt{s}$ (TeV)	$d\sigma/dy_{\chi}(pp \rightarrow pp(\Upsilon + \gamma))$ (pb)
1.96	0.68
7	0.72
10	0.72
14	0.72

Conclusion

- CEP processes observed at the Tevatron and early LHC can serve as 'standard candles' for new physics CEP at the LHC.
- Possibility that χ_{c1} and χ_{c2} CEP may contribute to CDF χ_c events.
- Cannot currently distinguish different J states, but may be possible with:
 - More detailed analysis and/or higher statistics.
 - Forward proton detection.
 - Different decay modes, e.g. $\chi_c \rightarrow \pi\pi$, $\chi_c \rightarrow K\bar{K}$.
- $\gamma\gamma$ CEP of interest- variable $M_{\gamma\gamma}$ of central system allows a wider range of studies.
- χ_b CEP a potential observable at the LHC (ongoing study).
- CEP of higher excitation χ_{nP} states?
- More complete treatment of proton correlations possible future work.

Currently active studies are in progress (both in theory and experiment).

Thank You



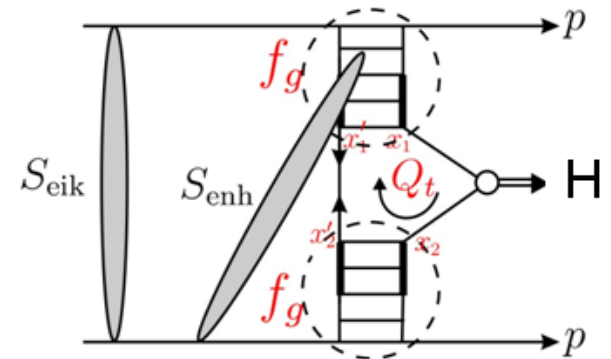
BACKUP

$$pp \rightarrow p+H+p$$

Base value: $\sigma = 2.5 \text{ fb}$

A. Martin, 12.12.09, Manchester

$\left\{ \begin{array}{l} \text{SM } M_H = 120 \text{ GeV} \\ \text{LHC} = 14 \text{ TeV} \\ \text{eikonal screening} \end{array} \right.$



- 45% adjust c in upper limit $1 - k_t/(cM_H+k_t)$ of z integration of Sudakov factor to reproduce one-loop result.
Find $c=1$ (Forshaw-Coughlin, KMR09), and not 0.62 (KKMR04)
- 25% if enhanced screening included (KMR-0812.2413)
- +20% due to NLO unintegrated gluon (MRWatt-0909.5529)
- +20% connected with self-energy insertions in propagator of screening gluon (Ryskin et al.)

PS Recall factor 3 uncertainty

PPS Remember SUSY Higgs can be greatly enhanced

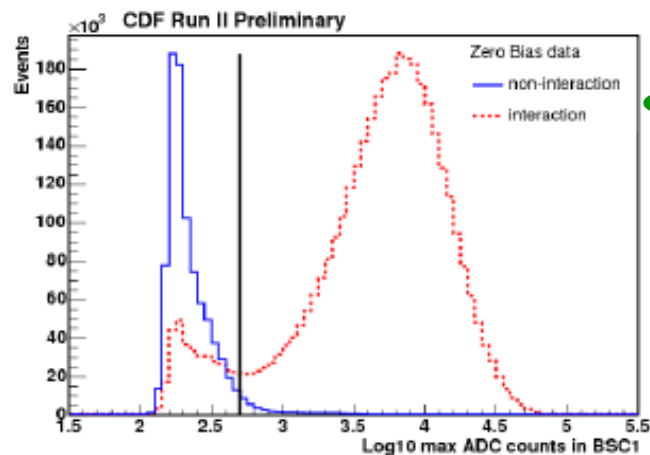
**BSC very important as rap gap detectors.
All LHC experiments should have them!**

FORWARD PHYSICS WITH RAPIDITY GAPS AT THE LHC

Michael Albrow¹, Albert De Roeck², Valery Khoze³, Jerry Lämsä^{4,5}, E. Norbeck⁶,
Y. Onel⁶, Risto Orava⁵, and M.G. Ryskin⁷
Sunday, November 09, 2008

arXiv:0811.0120

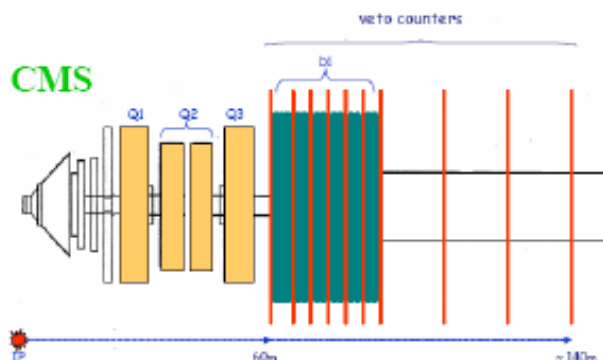
JINST



Warm accessible vacuum pipe (circular – elliptical)

Do not see primary particles, but showers in pipe ++

Simple scintillator paddles: **Gap detectors in no P-U events**



Take 0-bias events (Essential!)

{1} = prob no interaction

{2} = prob ≥ 1 interaction

Take hottest PMT of 8 BSC1

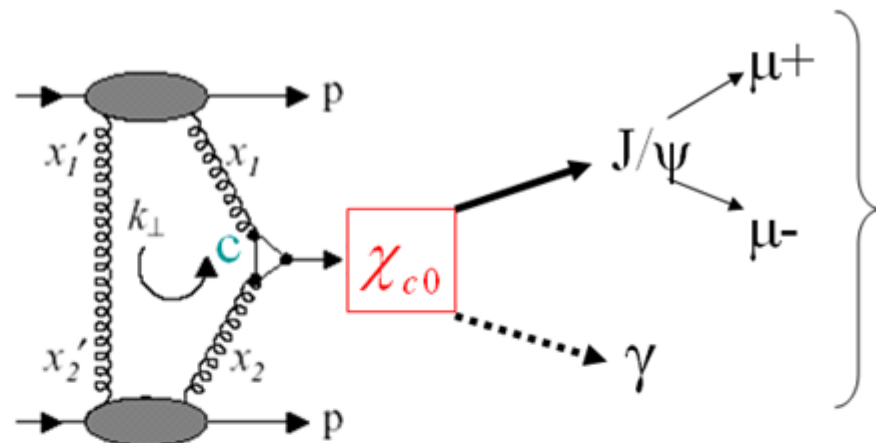
Plot log max ADC for {1} and {2}

Separates empty / not empty

Repeat for all detectors



We set out to measure exclusive $\chi_{c0} \rightarrow J/\psi + \gamma \rightarrow \mu^+ \mu^- \gamma$



& nothing else
in all CDF
 $-7.4 < |\eta| < +7.4$

Beam Shower Counters BSC: $5.2 < |\eta| < 7.4$

If these are all empty, p and $\bar{p}$ did not dissociate
(or BSC inefficient, estimated from data)

but went down beam pipe with small ($< \sim 1$ GeV/c) transverse momentum.

